

# دوره آموزشی بهینه سازی پایتون

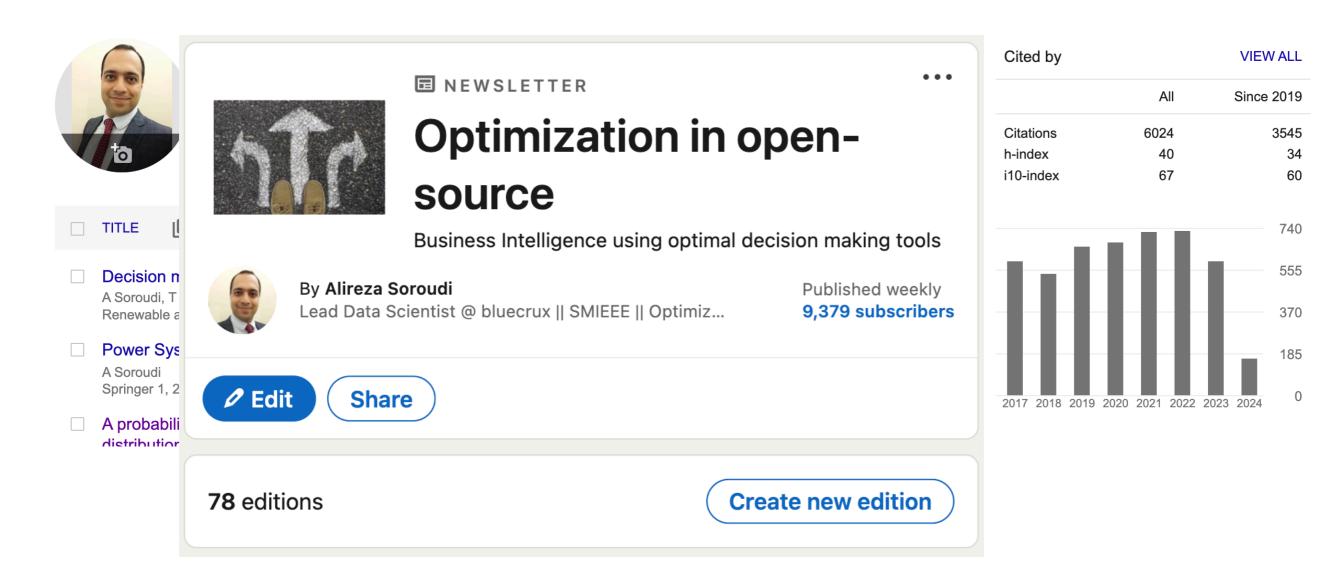
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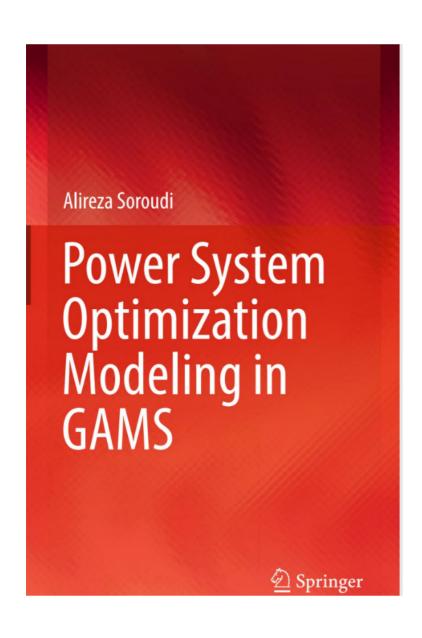


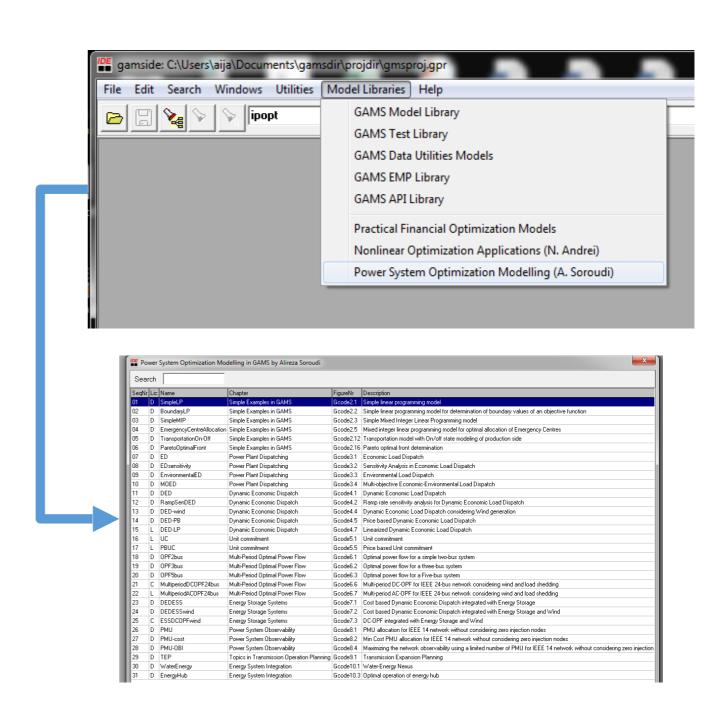
## INSTRUCTOR





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# SESSION ONE

Introduction







# WHY PYTHON?



Vast library

Open Source

Enterprise level

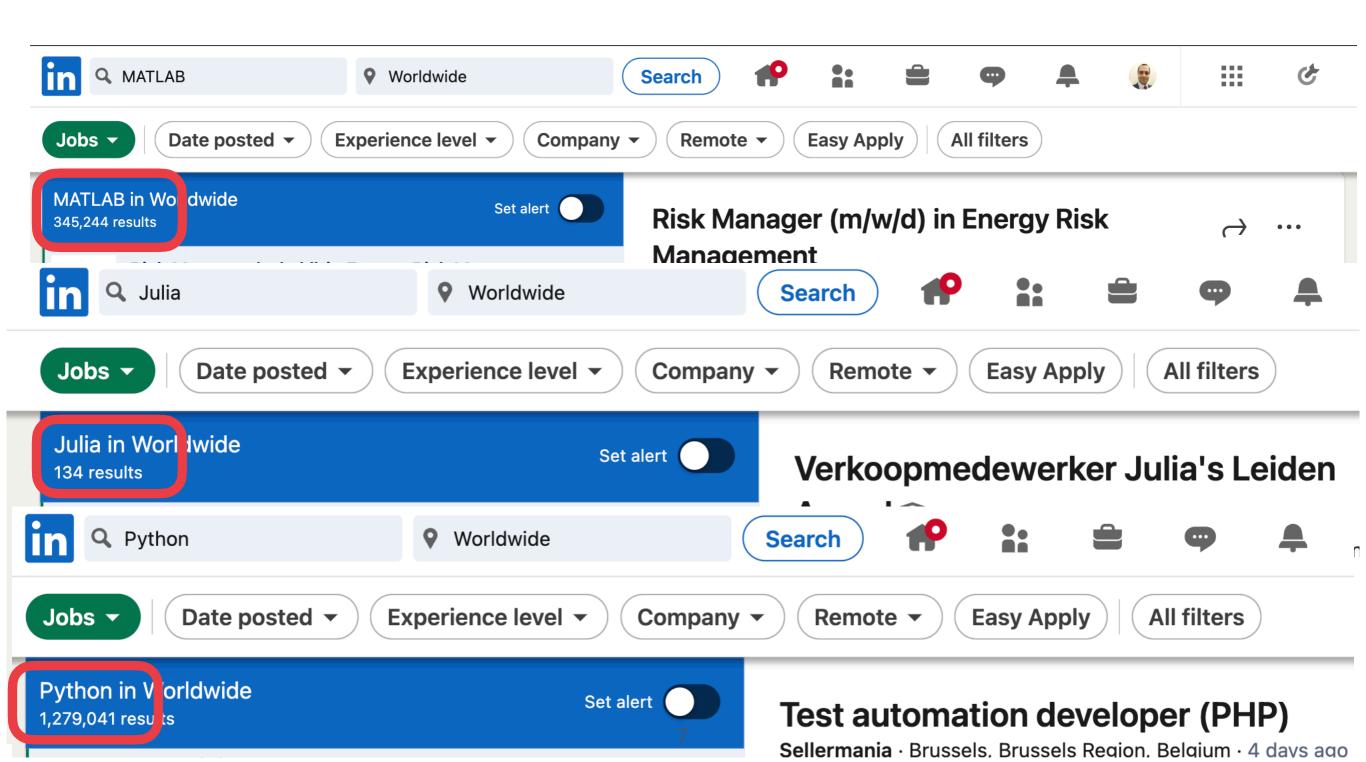
Easy to learn

OOP

WHY PYTHON?



## WHY PYTHON?





## Open Source or Commercial?

#### **Open Source**

#### **Commercial**

#### **Positive**

**Negative** 

- Free
- Capable of using both open-source and commercial solvers
- Great Visualisation
- Capable of linking to different databases
  - Using other Python Packages
- You need to wait for Stack-overflow

- Stable
- Good Support

- Expensive
- No Visualisation
- Limited databases to communicate with



# CODING PLATFORM

PyCharm



Sublime Text

Vim

**GNU Emacs** 











Spyder

Atom

Jupyter

Eclipse

IntelliJ IDEA

Notepad++











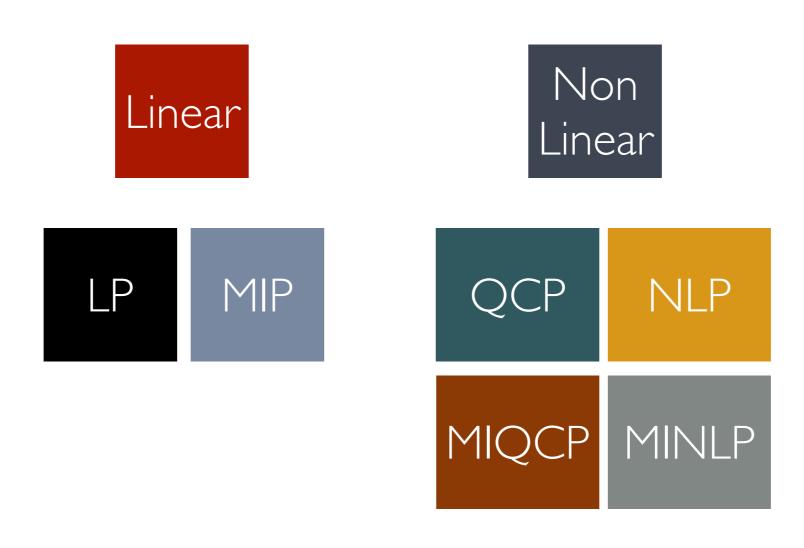








# DIFFERENT OPTIMISATION MODELS





# DIFFERENT OPTIMISATION MODELS

$$OF = x_1 + x_2$$
$$2x_1 + x_2 \le 1$$
$$x_i \in R^+$$

NLP

$$OF = x_1 + x_2$$
  
 $2x_1^2 + x_2^2 + x^3 \le 5$   
 $x_i \in R^+$ 

MIP

$$OF = x_1 + x_2$$
  
 $2x_1 + x_2 \le 1$   
 $x_1 \in R^+, x_2 \in B$ 



$$OF = x_1 + x_2$$
  
 $2x_1^2 + x_2^2 \le 5$   
 $x_1 \in R^+, x_2 \in B$ 



$$OF = x_1 + x_2$$
  
 $2x_1^2 + x_2^2 \le 5$   
 $x_i \in R^+$ 

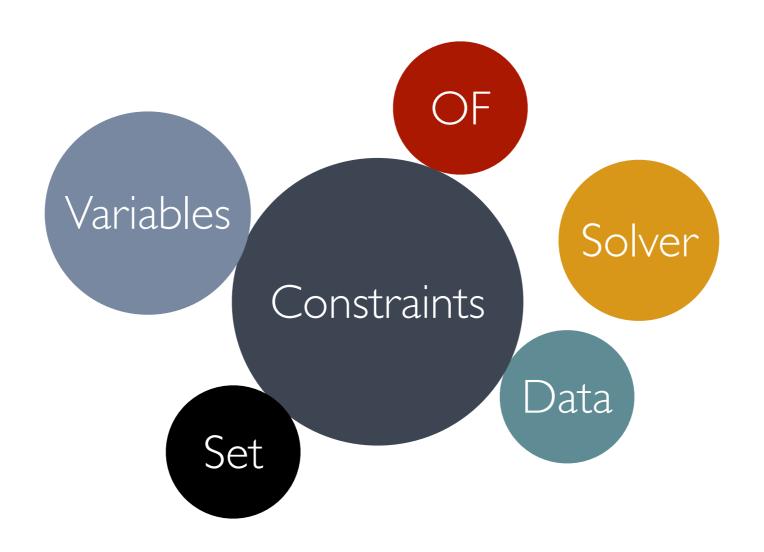


$$OF = x_1 + x_2$$

$$2x_1^2 + x_2^2 + x_1^3 \le 5$$

$$x_1 \in \mathbb{R}^+, x_2 \in \mathbb{B}$$









Total costs

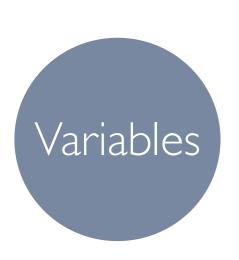
Risk of failure

Total income

Probability of happening

Emission weight Time of arrival





Investment decisions Vehicle to pick

Sequence of nodes

Asset Location





Cost of each item Vehicle's capacity

Job duration

Required sequence





Index for referring an item

Generator i

Passenger j

Car n





Cost of all items ≤ Budget

 $\forall_i$  arrival time of  $i \leq T_i^{max}$ 

$$\forall_i \quad P_i^{min} \leq P_i \leq P_i^{max}$$

$$\forall_i \quad P_i^{min} \times U_i \leq P_i \leq P_i^{max} \times U_i$$



The table below lists the LP solvers available in OR-Tools and indicates which of the three families of algorithms is implemented in each solver.



Solver	Simplex	Barrier	First order
Clp	Χ	Χ	
CPLEX <sup>L</sup>	Χ	Χ	
Glop <sup>G</sup>	Χ		
GLPK	Χ	Χ	
Gurobi <sup>L</sup>	Χ	Χ	
$PDLP^G$			Χ
Xpress <sup>L</sup>	Χ	Χ	

**G** indicates the solver is developed by Google. **L** indicates that the solver requires a license issued by the respective third-party developer.



# CP-SAT SOLVER

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		6	3	2			~	
	9	7					8	
8			9		3			2
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	7			4	5	တထ		
	3		7	1				
		8					4	

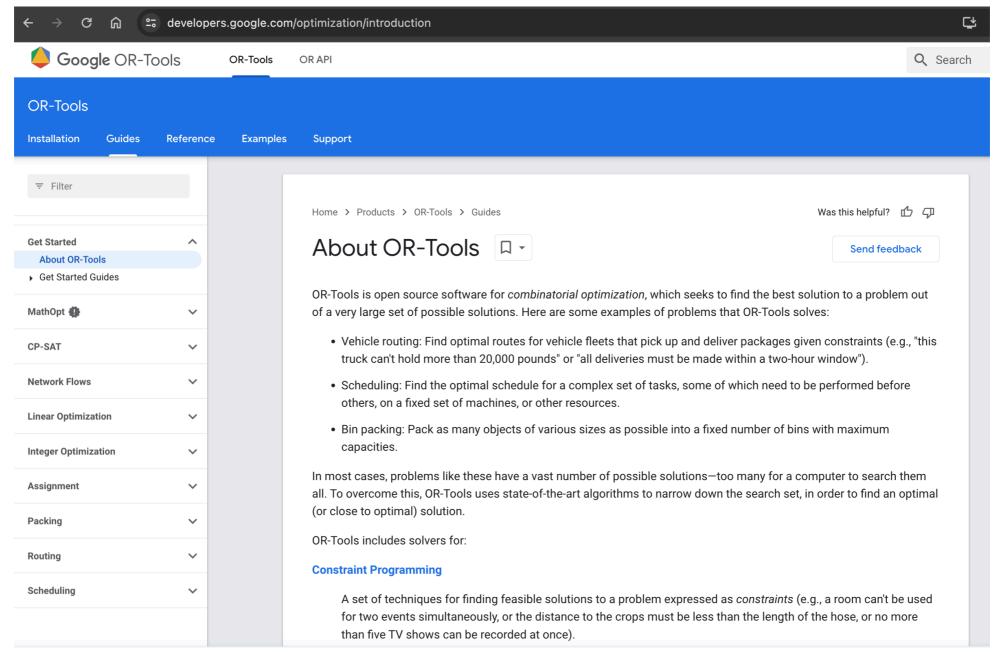








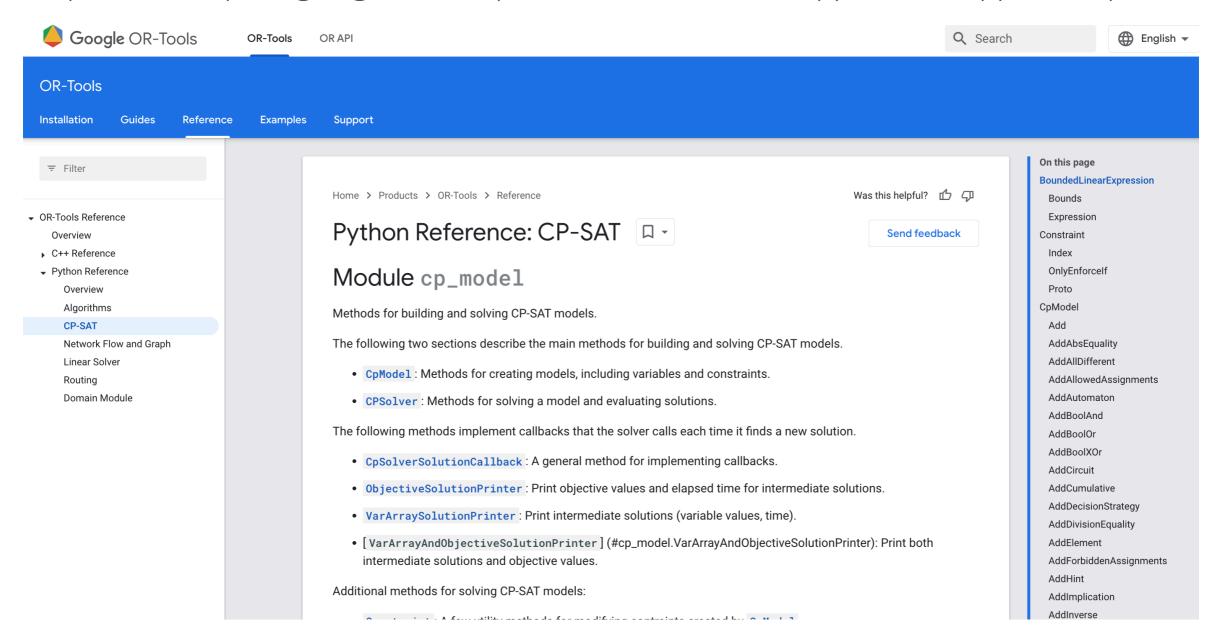
### https://developers.google.com/optimization







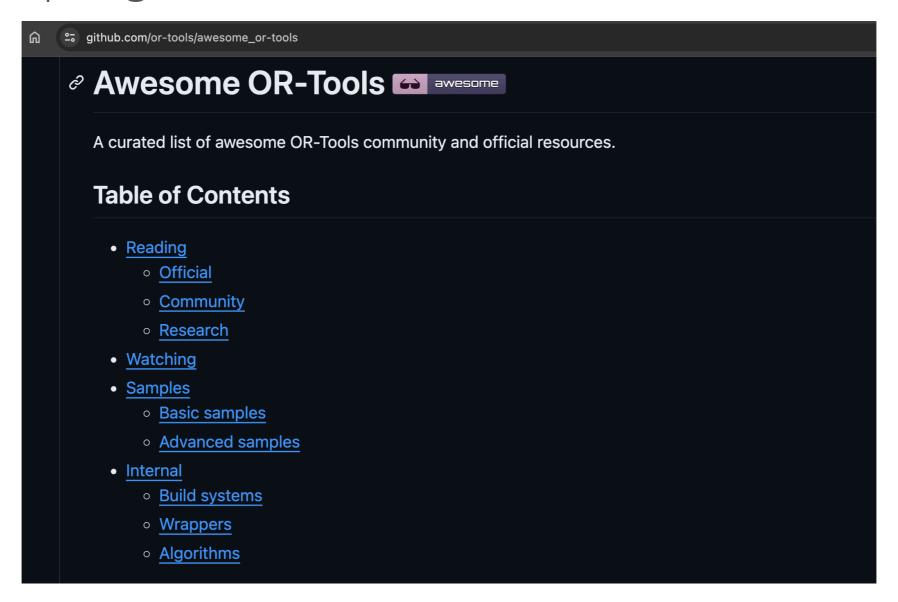
https://developers.google.com/optimization/reference/python/sat/python/cp\_model







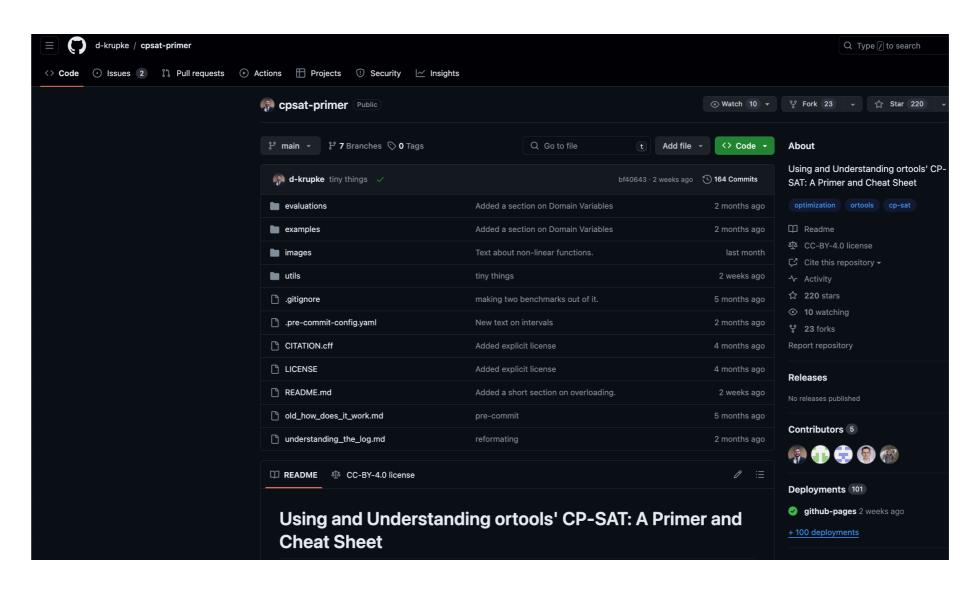
https://github.com/or-tools/awesome\_or-tools

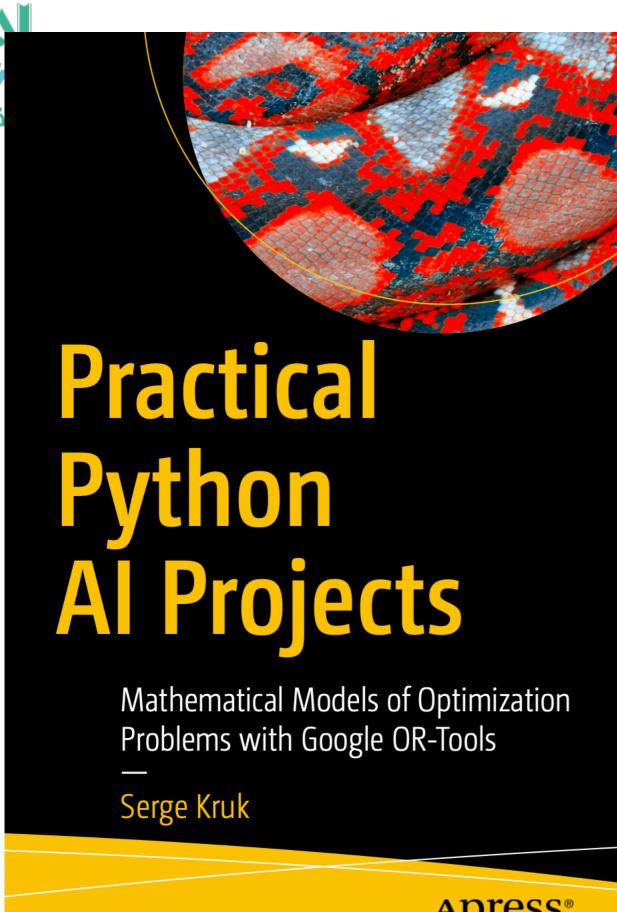






## https://github.com/d-krupke/cpsat-primer





**Apress**®